



# PROBING NEW LIGHT FORCE-MEDIATORS BY ISOTOPE SHIFT

Yotam Soreq

Table-Top Experiments with Skyscraper Reach

Aug. 11, 2017

C. Delaunay, C. Frugiuele, E. Fuchs, YS - work in progress

J.C. Berengut, D. Budker, C. Delaunay, V.V. Flambaum, C. Frugiuele, E. Fuchs, C. Grojean, R. Harnik, R. Ozeri, G. Perez, YS - 1704.06005

C. Delaunay, R. Ozeri, G. Perez, YS 1601.05087



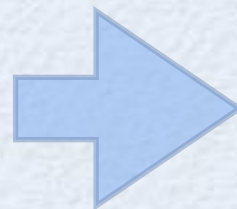


the Standard Model (SM)  
works great but it is **not** a  
complete picture





the Standard Model (SM) works great but it is **not** a complete picture



New Physics (NP) is required but its scale is unknown



# THE QUEST FOR NEW PHYSICS



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energy frontier  
(TeV scale)



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energy frontier  
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intensity frontier  
(MeV - GeV scale)



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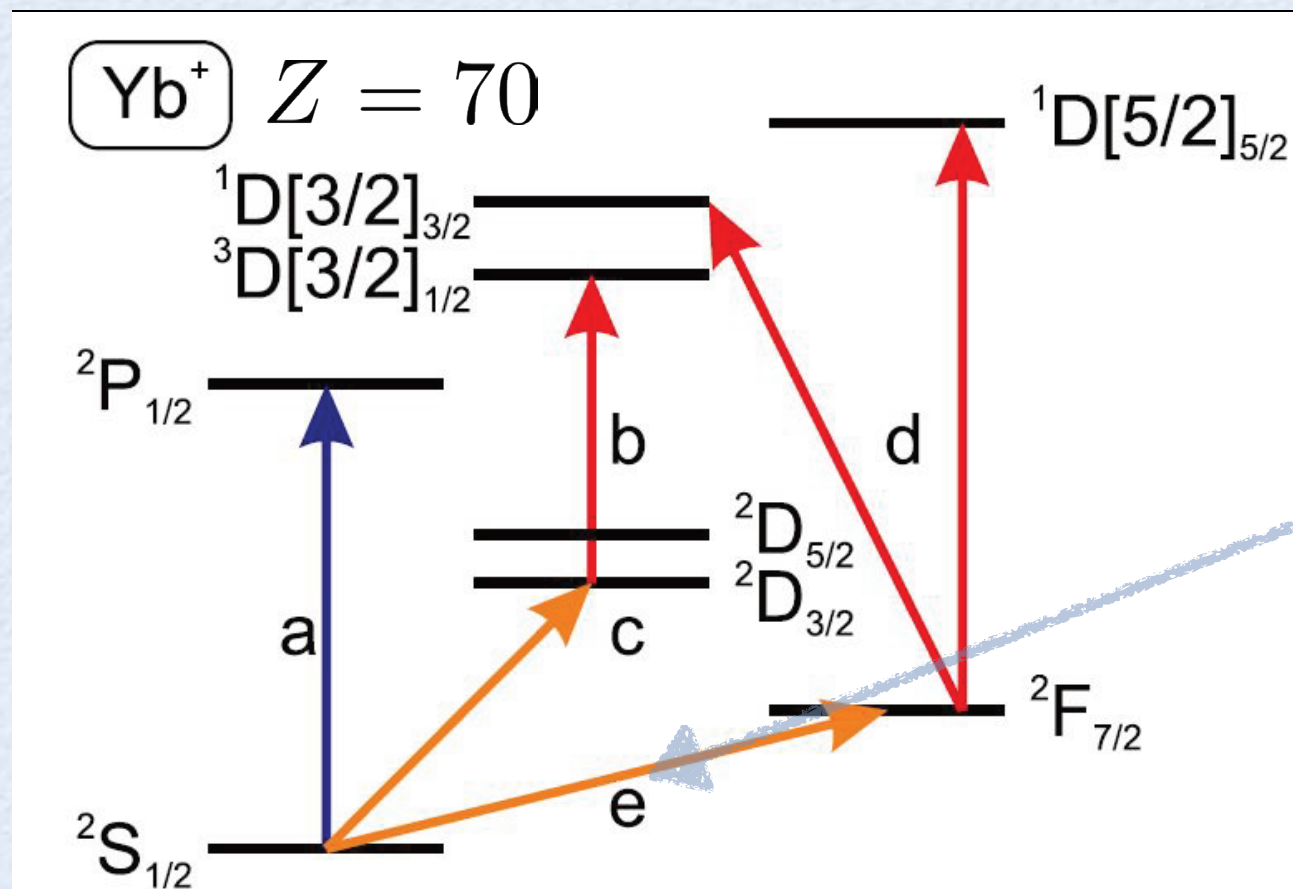
*hydrogen and helium*

*heavy elements, Yb, Ca*



# PRECISION SPECTROSCOPY

## Ytterbium ( $\text{Yb}^+$ )



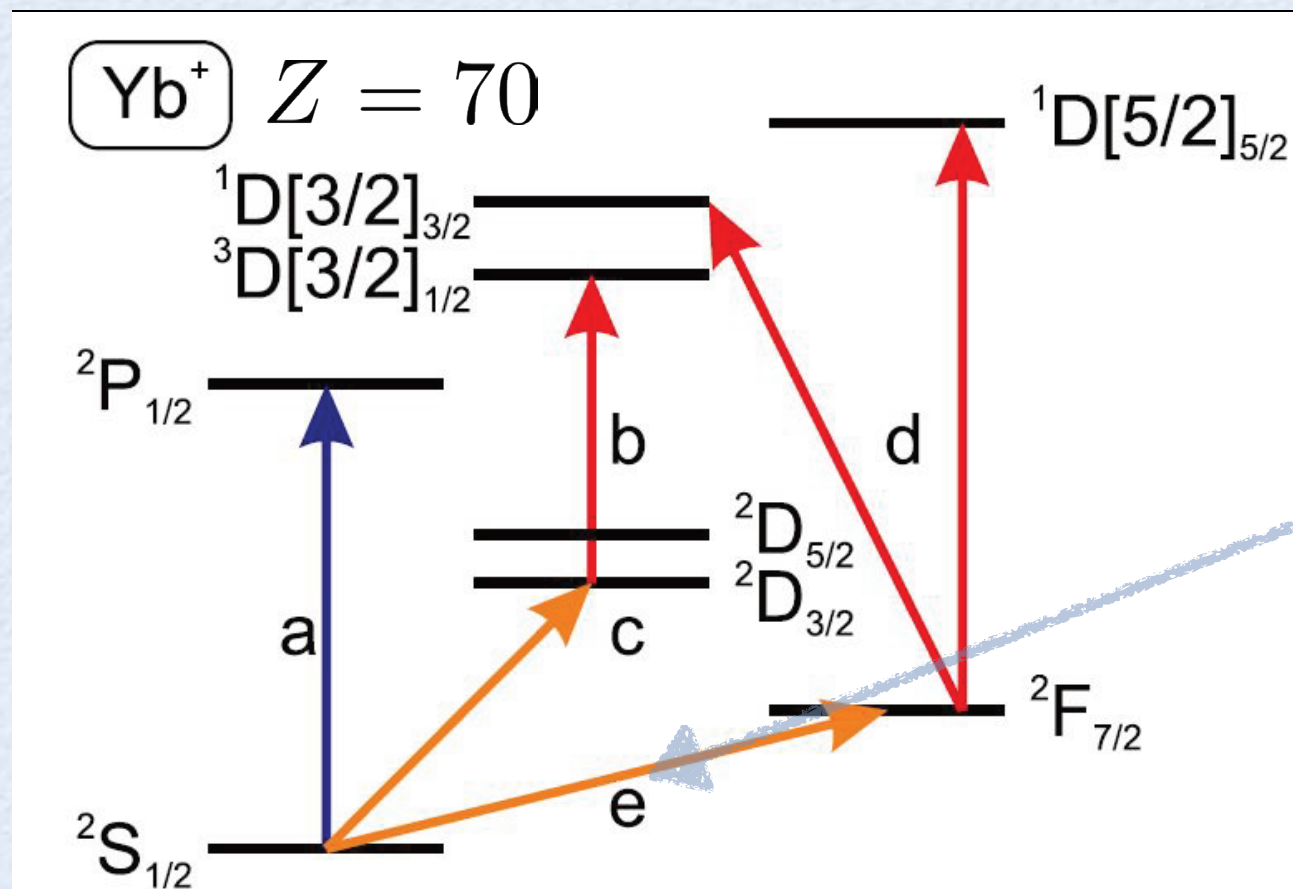
experimental error  
of E3 0.25 Hz  
relative error:  $4 \times 10^{-16}$

Huntenmann et al. 2014  
Gouda et al. 2014



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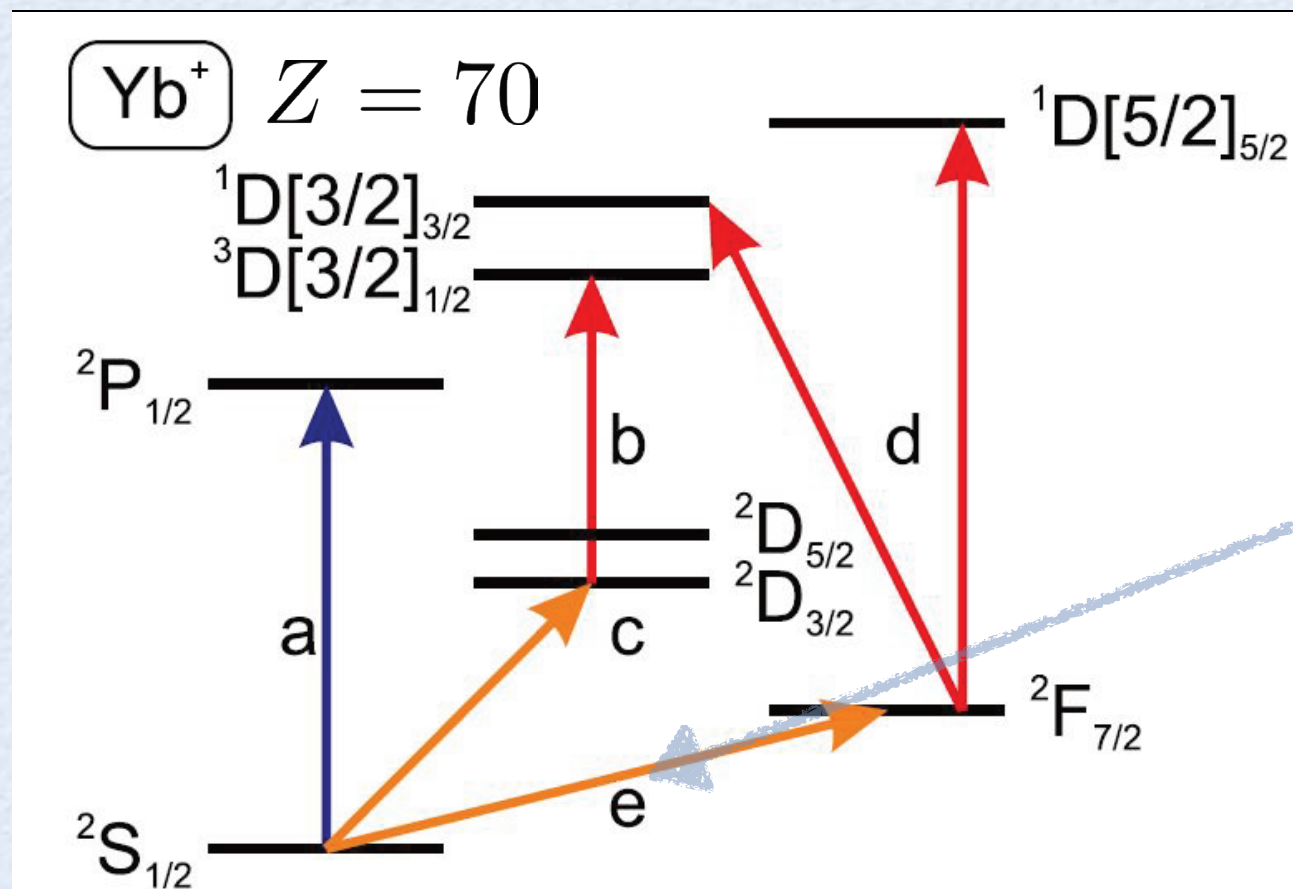
in principle:  $y_e y_n \left( \frac{125 \text{ GeV}}{m_\phi} \right)^2 < 4 \times 10^{-6}$

stronger than LHC current bounds



# PRECISION SPECTROSCOPY

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experimental error  
of E3 0.25 Hz  
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Huntenmann et al. 2014  
Gouda et al. 2014

theory is not good enough



# Isotope Shift



# ISOTOPE SHIFT - KING PLOT

the same electronic transition,  $i$ , in two isotopes,  $A$  and  $A'$

$$\nu_i^{AA'} \equiv \nu_i^A - \nu_i^{A'}$$



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the same electronic transition,  $i$ , in two isotopes,  $A$  and  $A'$

$$\nu_i^{AA'} \equiv \nu_i^A - \nu_i^{A'} = K_i \mu_{AA'} + F_i \delta \langle r^2 \rangle_{AA'} + \dots$$

**Mass Shift**                      **Field Shift**  
(short distance)

**electronic**                      **nucleus**  
**parameters**                      **parameters**

$$\mu_{AA'} \equiv \frac{1}{m_A} - \frac{1}{m_{A'}}$$



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$$m\nu_i^{AA'} \equiv \nu_i^{AA'} / \mu_{AA'}$$

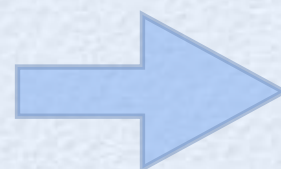
$$F_{21} \equiv F_2 / F_1$$

$$K_{21} \equiv K_2 - F_{21} K_1$$

$i=1,2$

$$m\nu_2^{AA'} = K_{21} + F_{21} m\nu_1^{AA'}$$

factorization



linear relation between  
two transitions



# ISOTOPE SHIFT - KING PLOT

$$\vec{m\nu}_i \equiv (m\nu_i^{AA'_1}, m\nu_i^{AA'_2}, m\nu_i^{AA'_3})$$

$$\vec{m\dot{\mu}} \equiv (1, 1, 1)$$

$$\vec{m\nu}_i = K_i \vec{m\dot{\mu}} + F_i \overrightarrow{m\delta\langle r^2 \rangle}$$

two directions





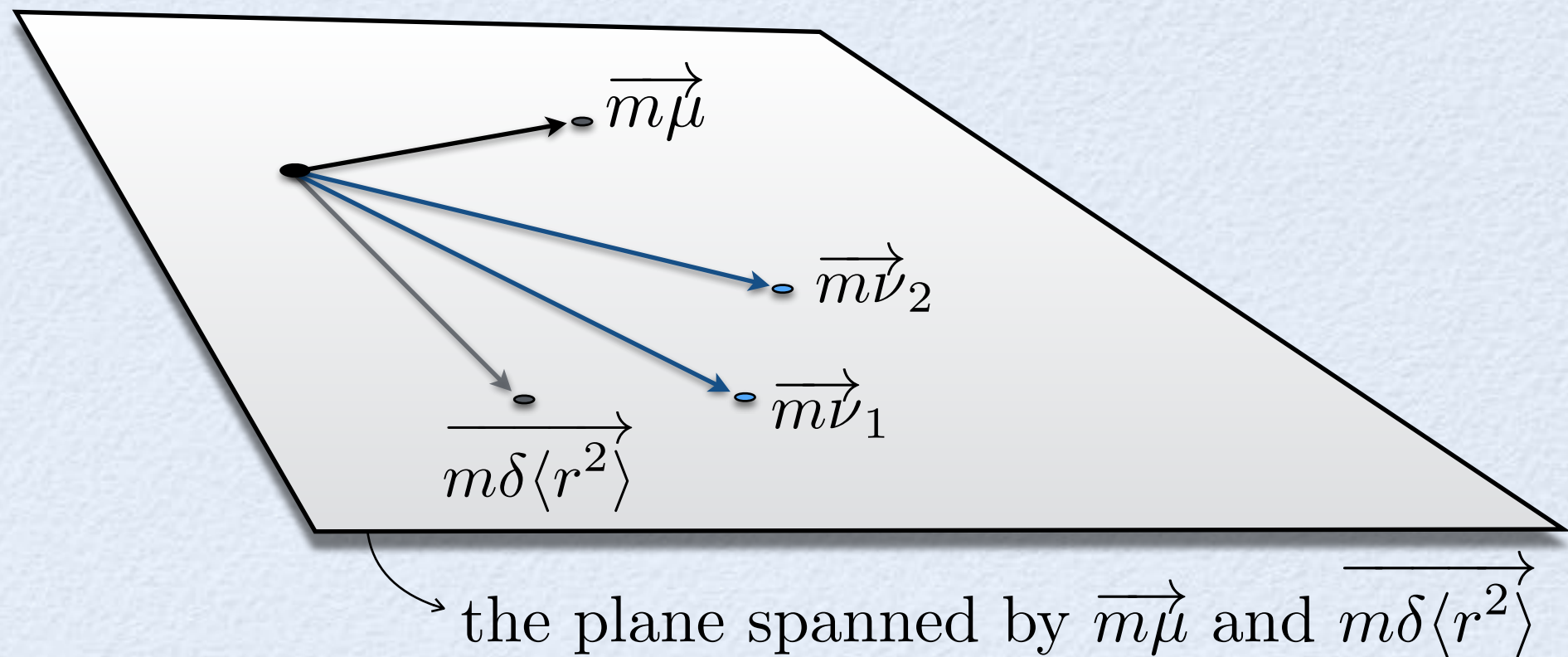
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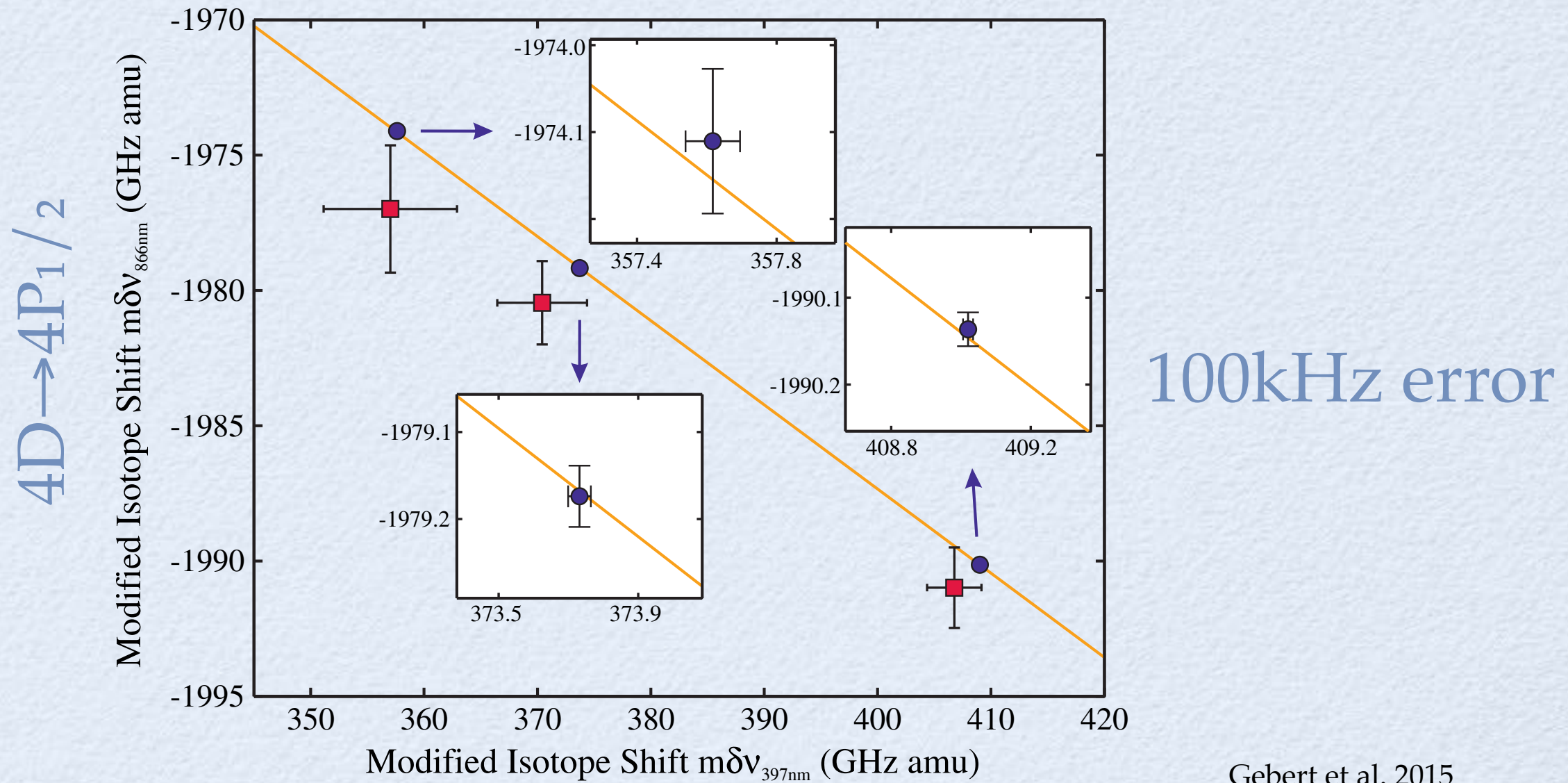


testing factorization only by data



# ISOTOPE SHIFT - KING PLOT

existing isotope shift measurement of  $\text{Ca}^+$



$4S \rightarrow 4P_{1/2}$



the



for new physics



# ISOTOPE SHIFT AND NEW PHYSICS

$$\nu_i^{AA'} = K_i \mu_{AA'} + F_i \delta \langle r^2 \rangle_{AA'} + \alpha_{\text{NP}} X_i \gamma_{AA'}$$

← new physics



# ISOTOPE SHIFT AND NEW PHYSICS

$$F_{21} \equiv F_2/F_1$$

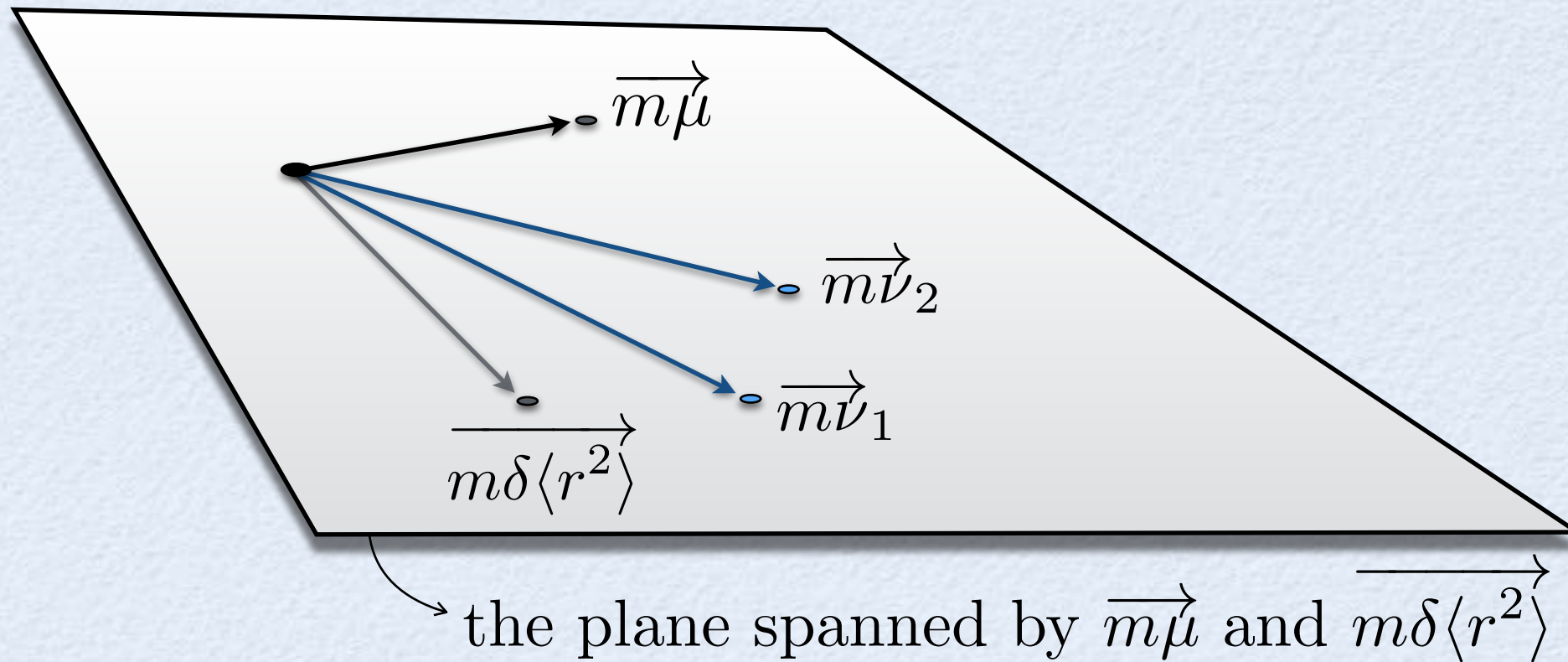
$$\vec{m}\dot{\mu} \equiv (1, 1, 1)$$

$$h_{AA'} \equiv \gamma_{AA'}/\mu_{AA'}$$

$$\vec{m}\dot{\nu}_i \equiv (m\nu_i^{AA'_1}, m\nu_i^{AA'_2}, m\nu_i^{AA'_3})$$

$$\vec{m}\dot{\nu}_2 = K_{21}\vec{m}\dot{\mu} + F_{21}\vec{m}\dot{\nu}_1 + \alpha_{\text{NP}}\vec{h} (X_2 - X_1 F_{21})$$

new physics





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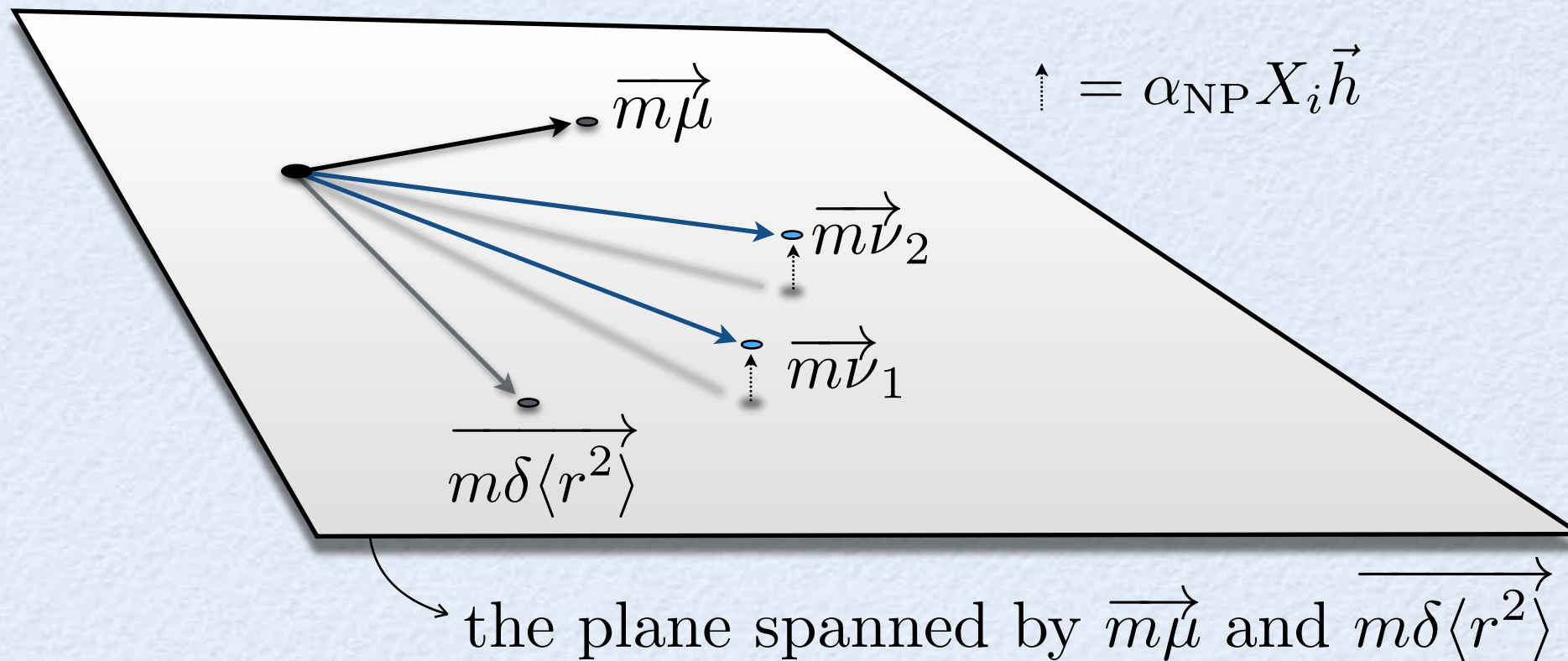
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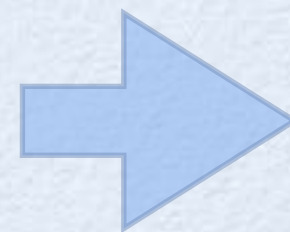
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new physics



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- $h$  - is not aligned with  $m\nu_1, m\nu_2, m\mu$



nonlinear King plot from NP



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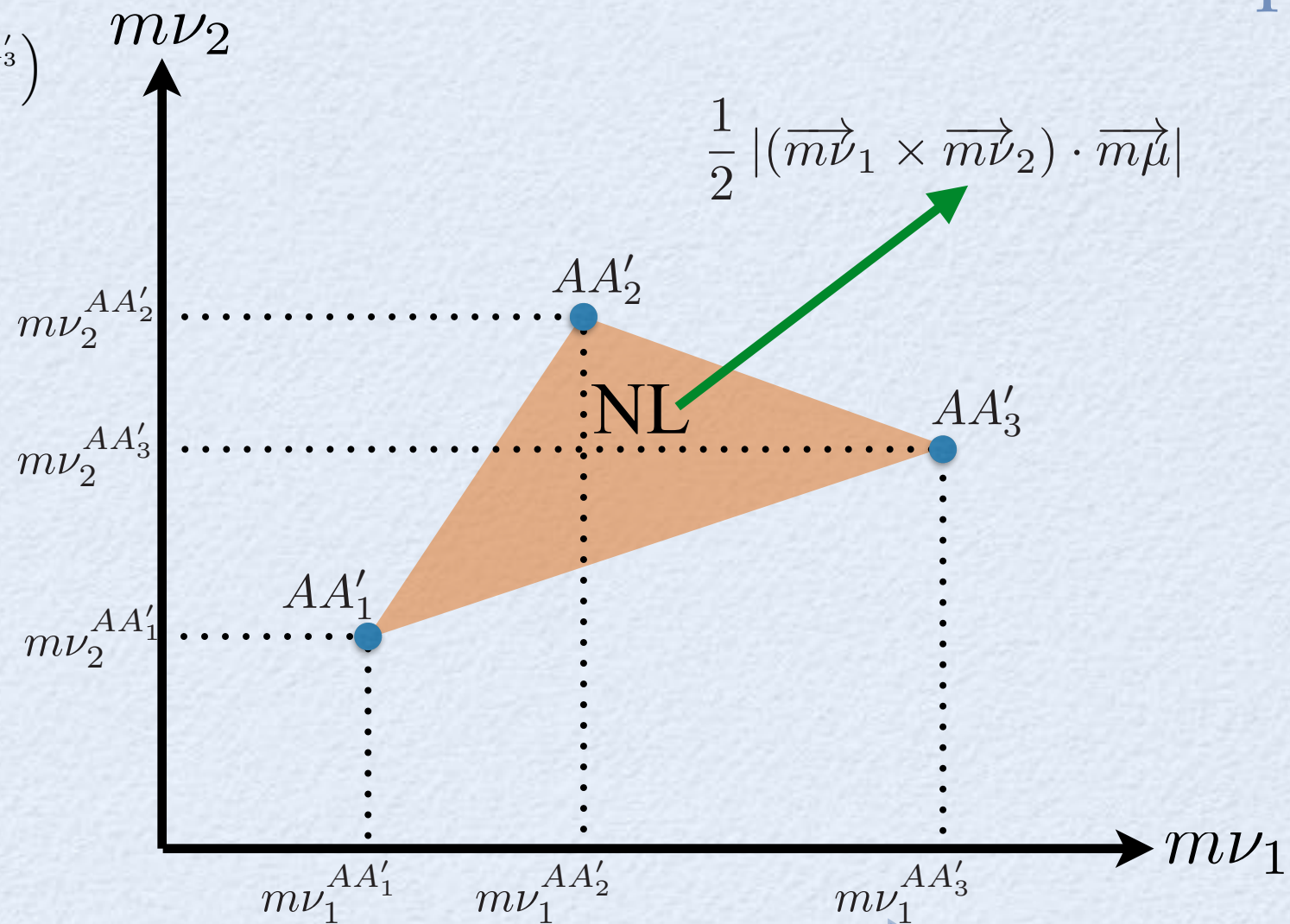
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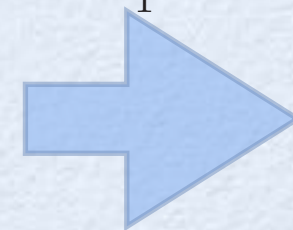
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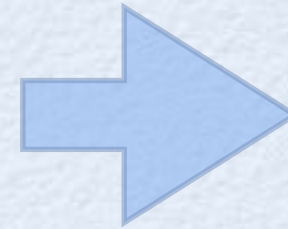


nonlinear King plot from NP

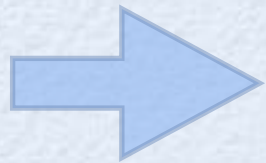


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$$\alpha_{\text{NP}} = \frac{(\vec{m\nu}_1 \times \vec{m\nu}_2) \cdot \vec{m\mu}}{(\vec{m\mu} \times \vec{h}) \cdot (X_1 \vec{m\nu}_2 - X_2 \vec{m\nu}_1)}$$

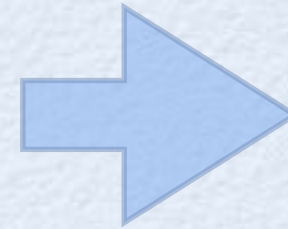
the *only* theory inputs

similar to data driven background estimation at the LHC

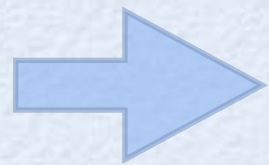


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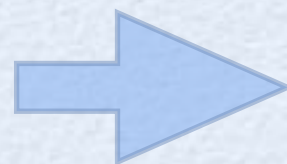


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data consistent  
with linearity

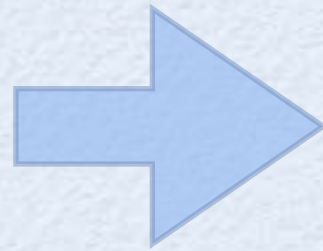


constrain NP



# CONSTRAINING LIGHT NEW BOSONS

new bosons with  
couplings to  $e$  and  $n$   
(spin independent)

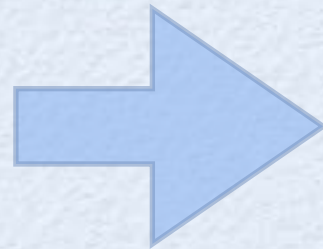


$$V_{\phi}(r) = \alpha_{\text{NP}}(A - Z) \frac{e^{-m_{\phi} r}}{r}$$

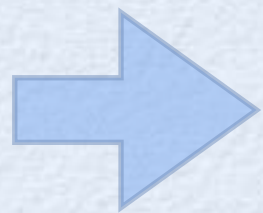


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$$\alpha_{\text{NP}} = \frac{y_e y_n}{4\pi}$$

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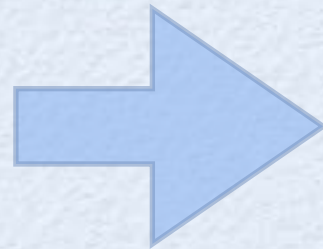
$$X_i = \int d^3r \frac{e^{-m_\phi r}}{r} [|\Psi_b(r)|^2 - |\Psi_a(r)|^2]$$

1<sup>st</sup> order perturbation theory and  
multi-body perturbation theory

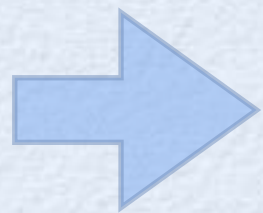


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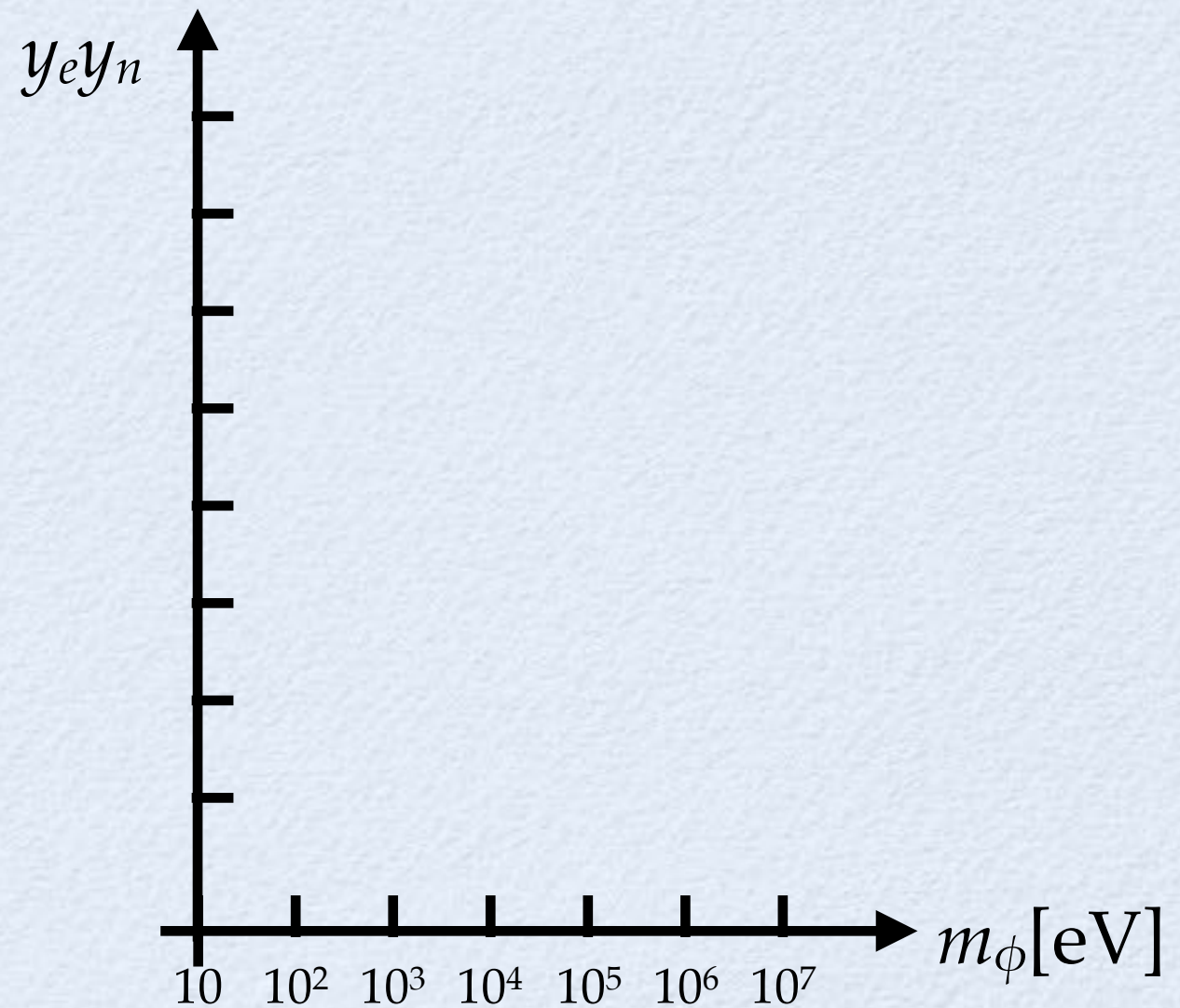
	$m_\phi < 4\text{keV}$	$4\text{keV} < m_\phi < 50\text{MeV}$	$50\text{MeV} < m_\phi$
$V_\phi(r) \sim$	$1/r$	$\exp(-m_\phi r)/r$	$\delta(r)/(m_\phi r)^2$
$X_i$	constant	$m_\phi$ dependent	$X_2 - X_1 F_{21} \rightarrow 0$



# CONSTRAINING LIGHT NEW BOSONS

$$y_e y_n < \sigma_i \frac{\sqrt{1 + F_{21}^2}}{X_2 - X_1 F_{21}} \frac{4\pi A}{(A - A')^2}$$

experimental  
error

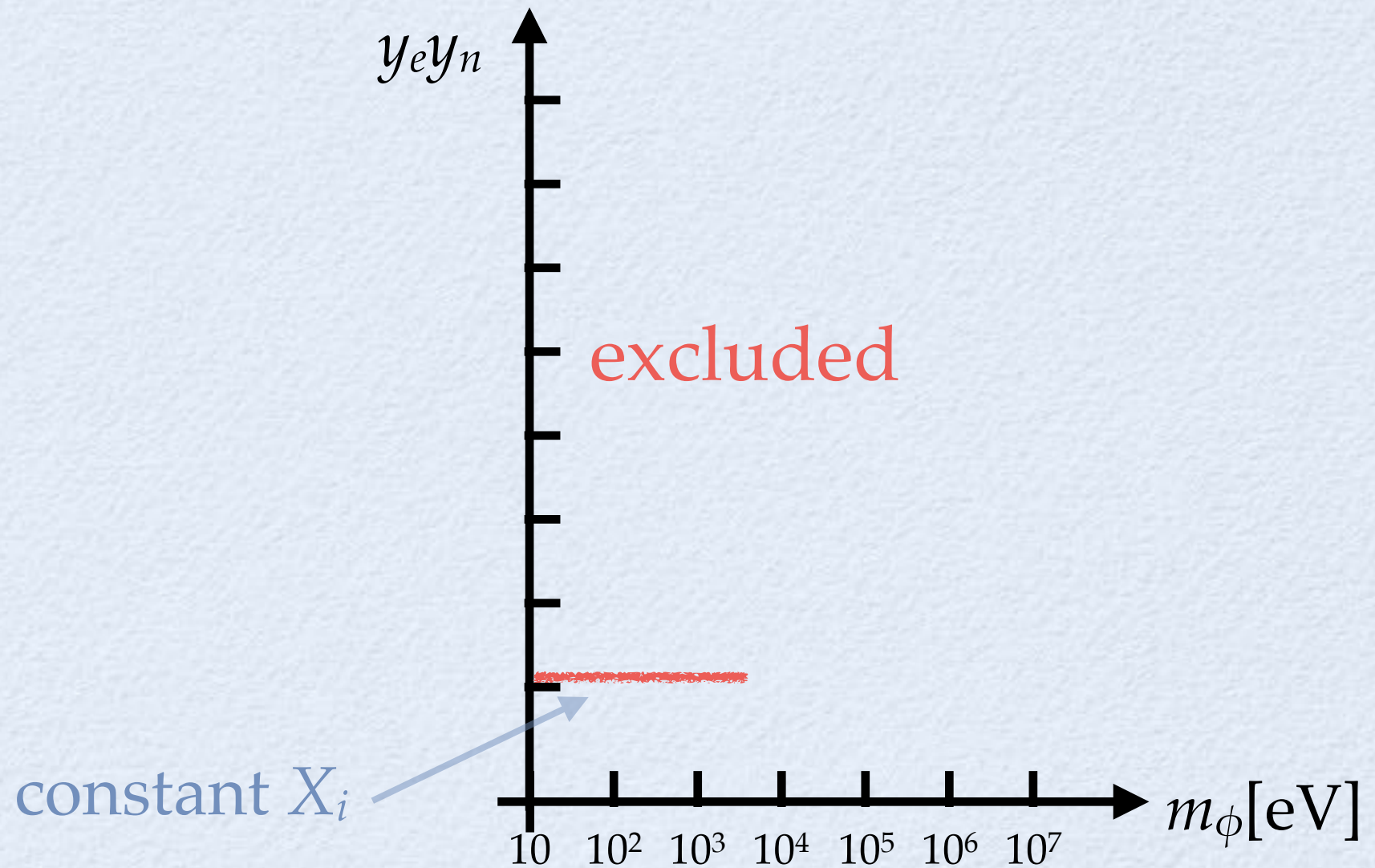




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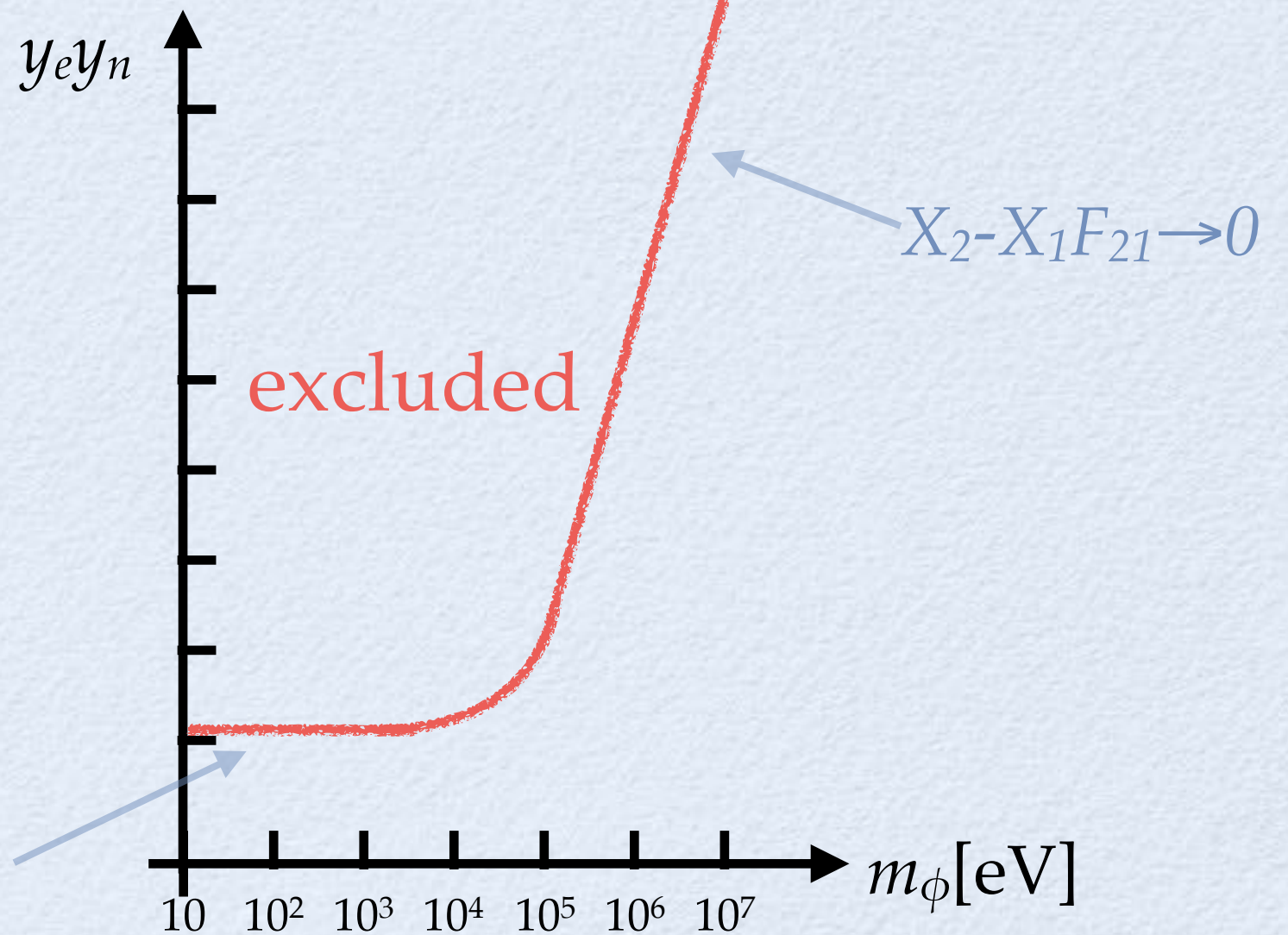


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- current data:
  - $\text{Ca}^+$ : 866 / 397nm,  $\sigma \sim 0.1\text{MHz}$
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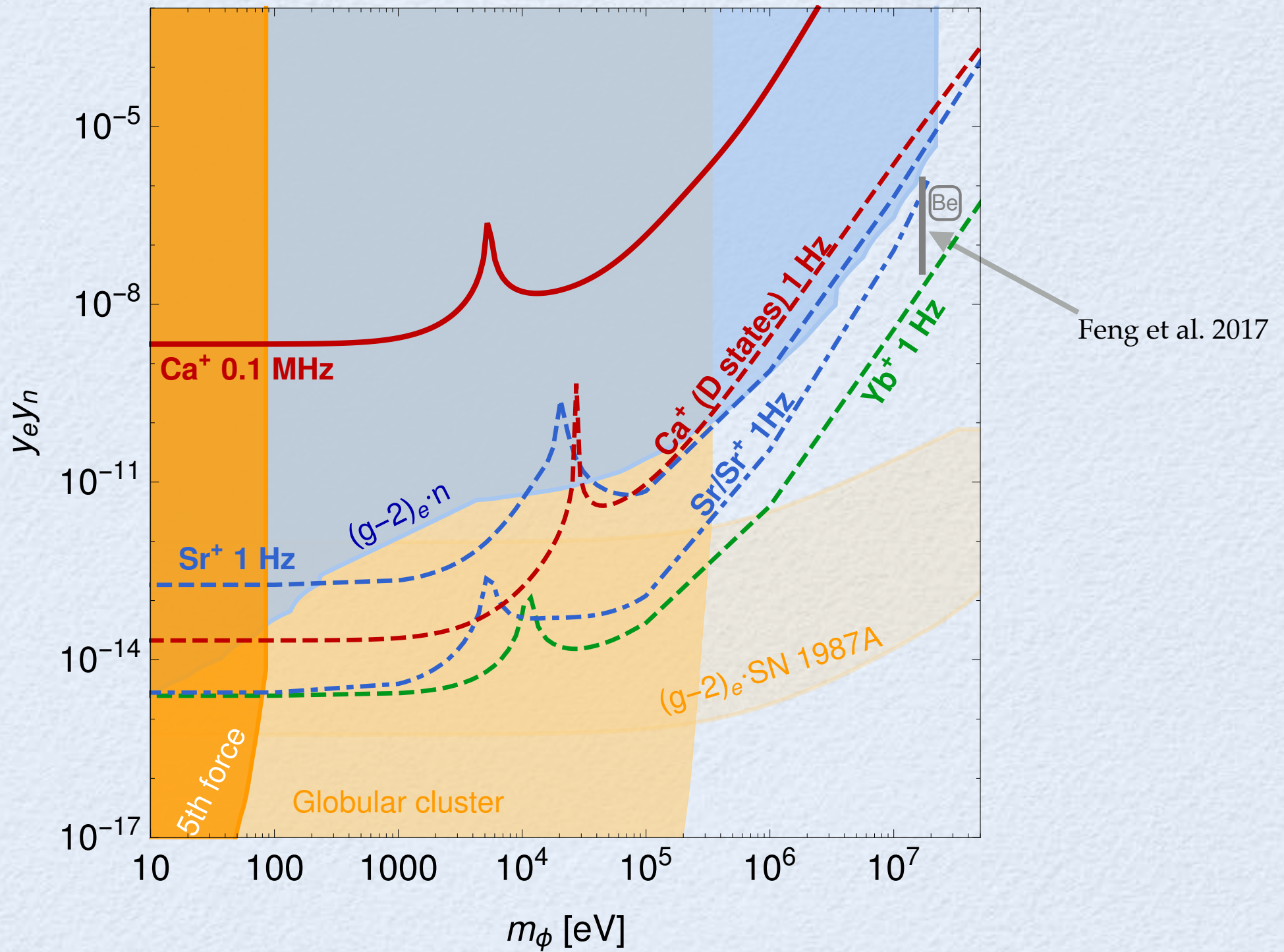


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- candidates for future measurements:
  - $\text{Ca}^+$ :  $S \rightarrow D_{5/2} / S \rightarrow D_{3/2}$
  - $\text{Sr}^+$ :  $S \rightarrow D_{5/2} / S \rightarrow D_{3/2}$
  - $\text{Sr}^+/\text{Sr}$ :  $S \rightarrow P / S \rightarrow D_{5/2}$
  - $\text{Yb}^+$ :  $S \rightarrow D_{3/2} / S \rightarrow F_{7/2}$



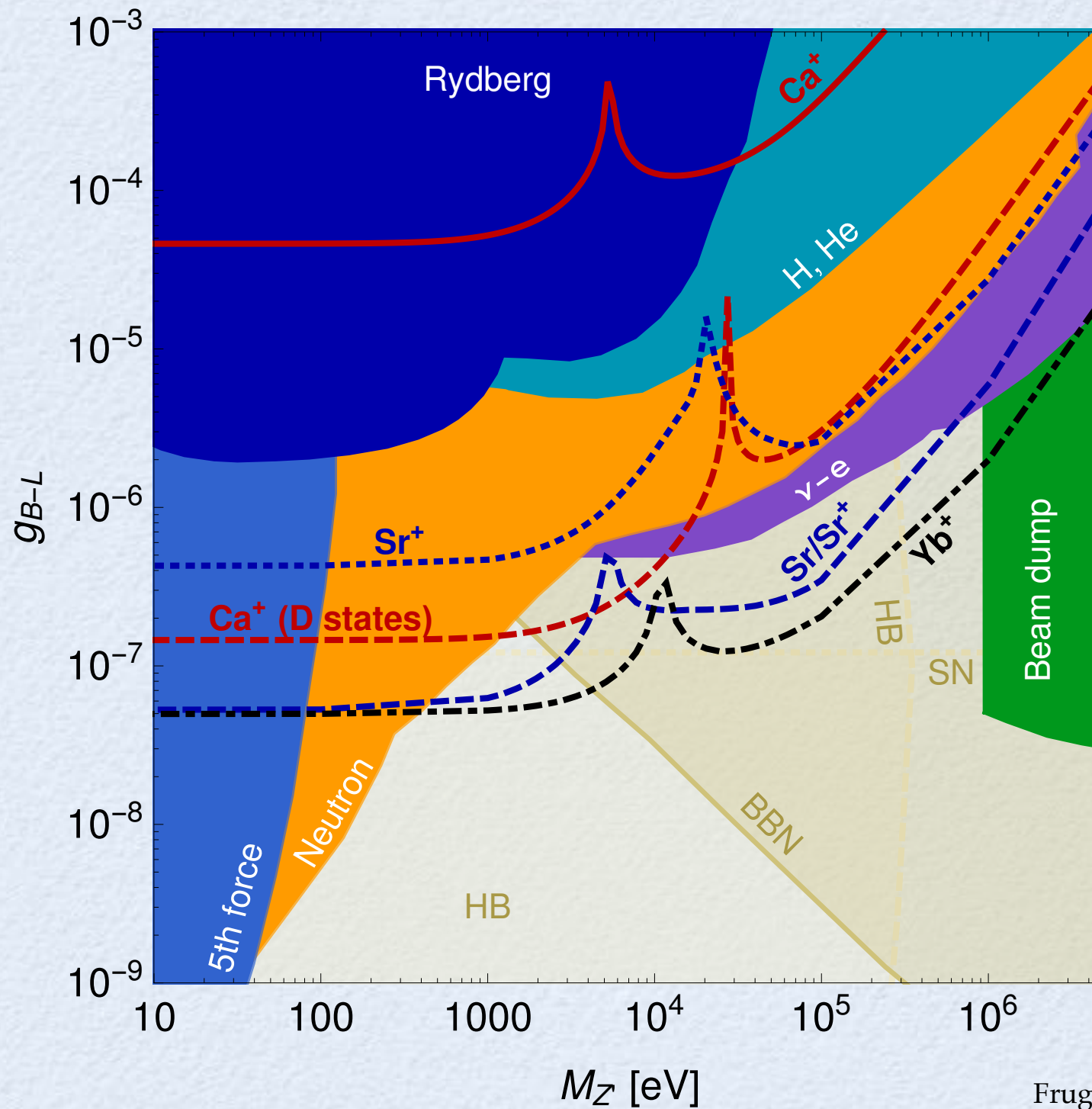
# BOUNDS AND PROJECTIONS





# BOUNDS AND PROJECTIONS

B-L:





few electrons atoms



# HYDROGEN AND HELIUM SPECTROSCOPY

direct comparison of theory to experiment  
(not limited by theory error)

bound Yukawa like force with spin independent interactions:

$$\frac{y_e(y_p Z + (A - Z)y_n)}{4\pi} \frac{e^{-m_\phi r}}{r}$$

$$\frac{y_e^2}{4\pi} \frac{e^{-m_\phi r_{12}}}{r_{12}}$$



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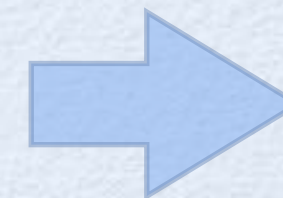
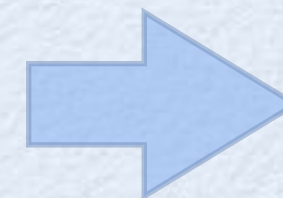
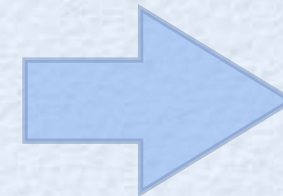
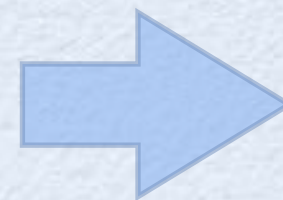
$$\frac{y_e^2}{4\pi} \frac{e^{-m_\phi r_{12}}}{r_{12}}$$

hydrogen

helium

isotope shift  
(He3-He4, H-D)

positronium



$y_e y_p$

$y_e y_p, y_e y_n, y_e$

$y_e y_n$

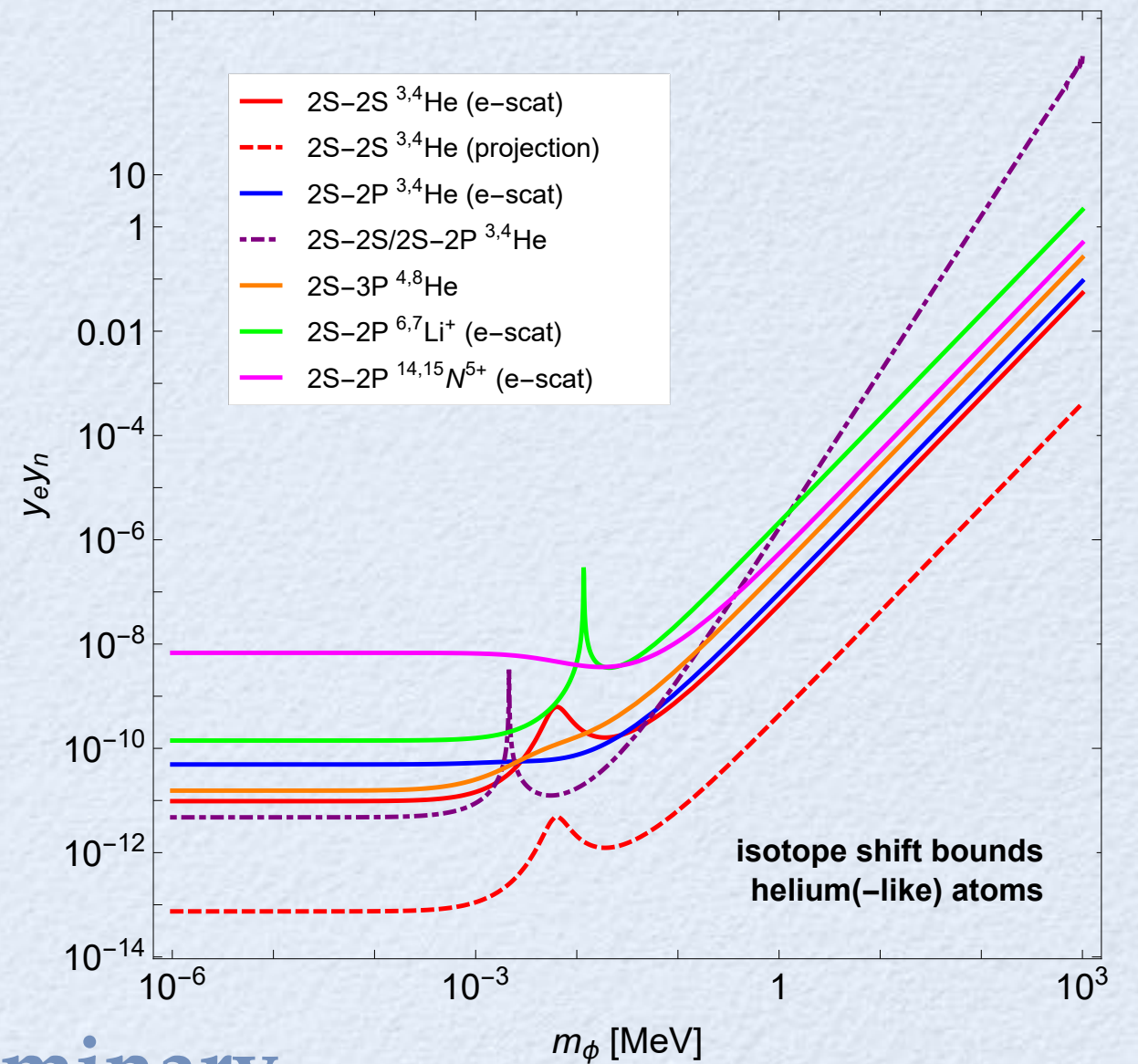
$y_e$



# HYDROGEN AND HELIUM SPECTROSCOPY

## isotope shift

isotopes	transition	$\delta_{\text{NP}\nu}$	$\sigma_{\nu_{\text{exp}}}$	$\sigma_{\nu_0}$	$\sigma_{\delta\langle r^2 \rangle}$
${}^3\text{He}/{}^4\text{He}$	$2^1S - 2^3S$	$+9 \pm 14$	2.4	0.19	14
	$2^3P - 2S$	$-2 \pm 78$	3.3	0.9	78

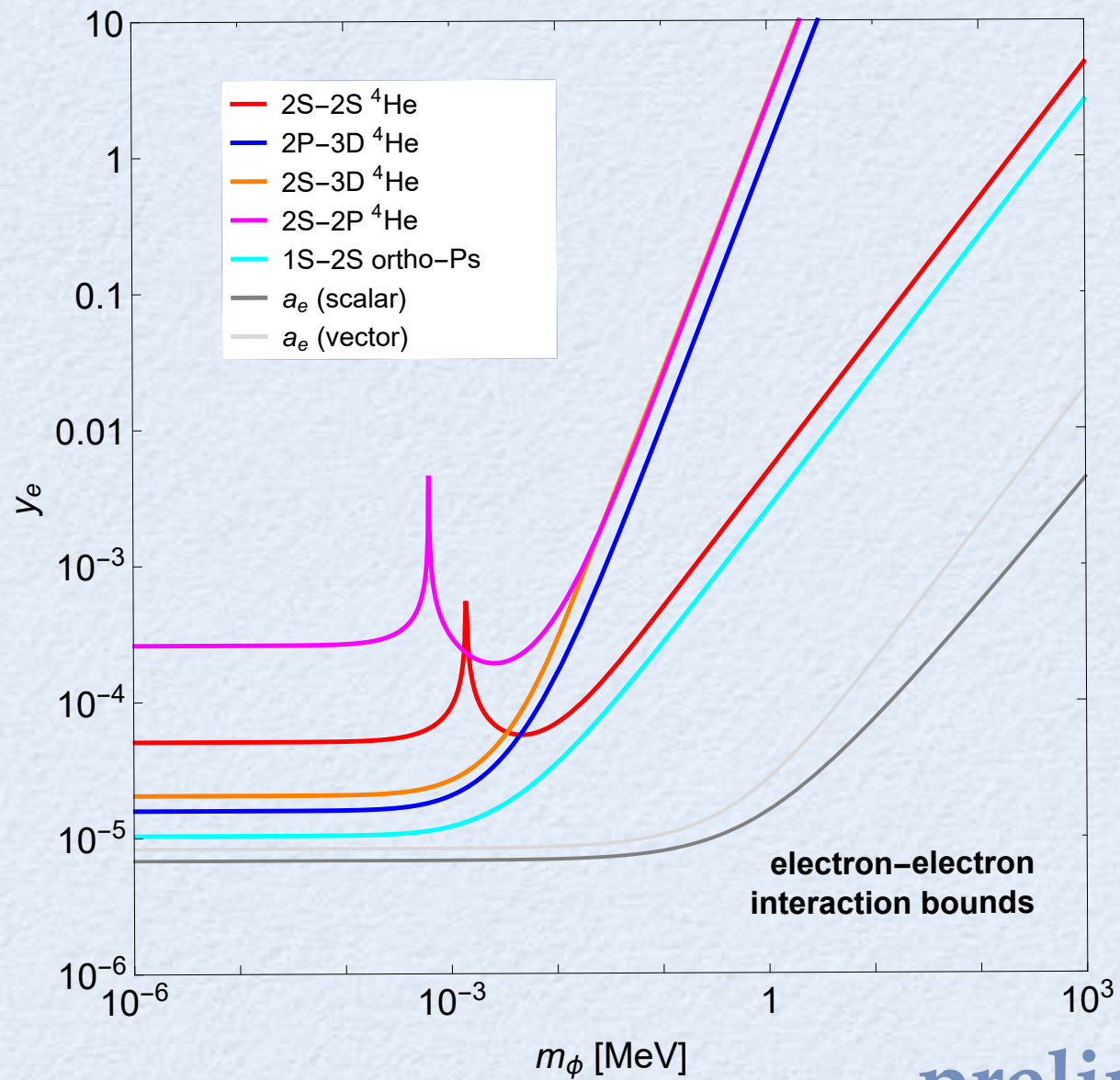


preliminary

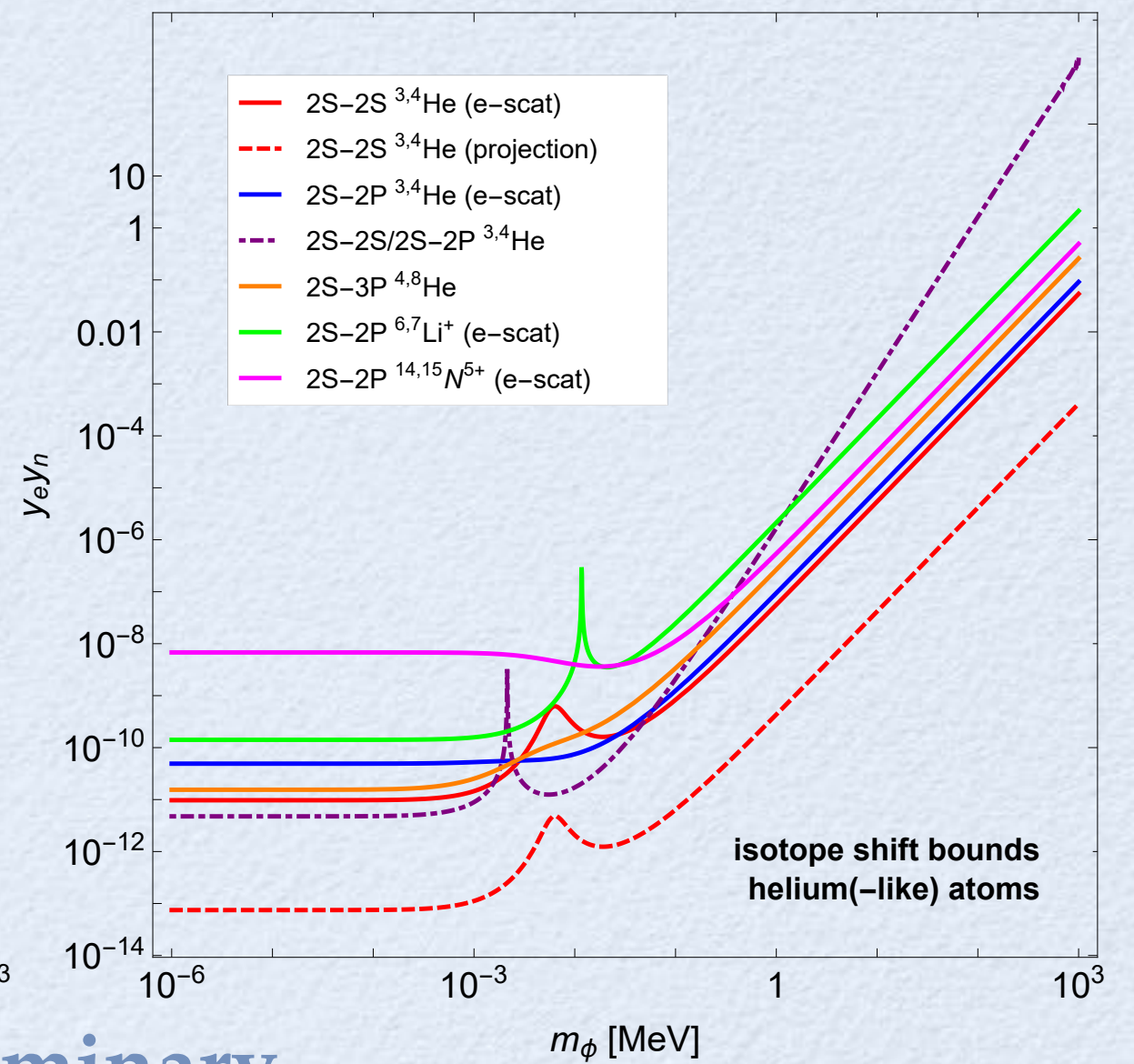


# HYDROGEN AND HELIUM SPECTROSCOPY

## electron interaction



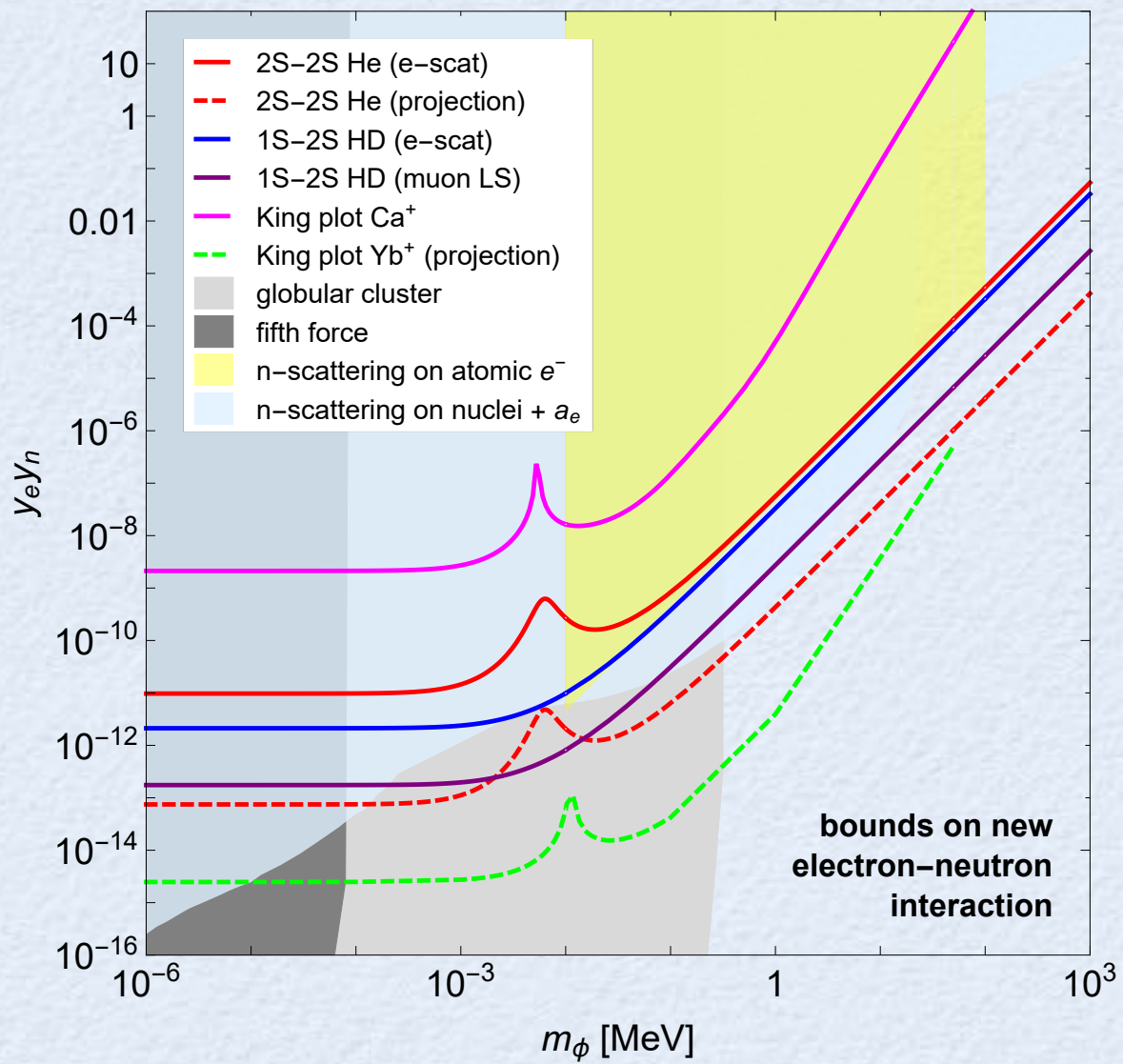
## isotope shift



preliminary



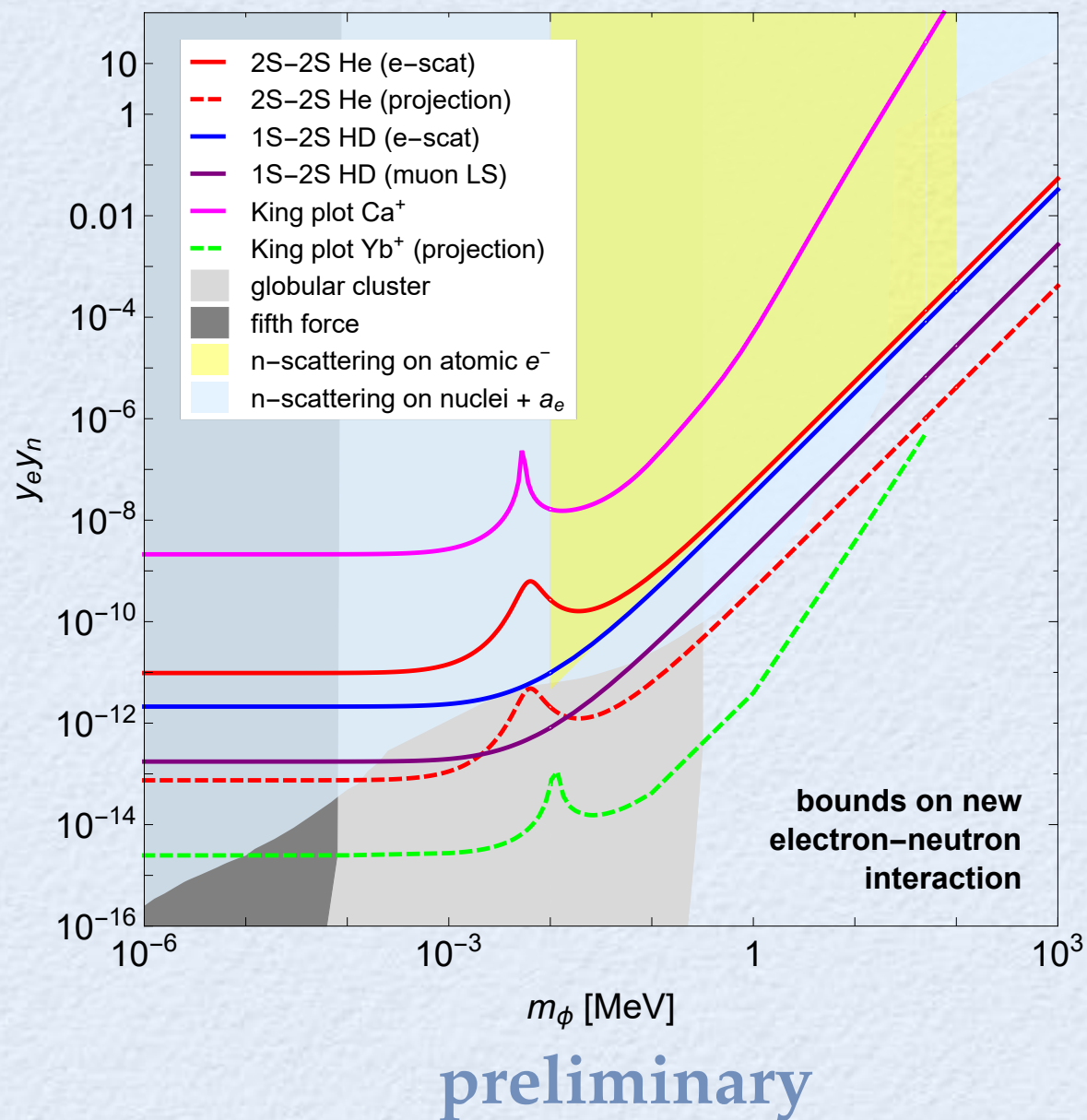
# SUMMARY



preliminary



# SUMMARY



- precision isotope spectroscopy can probe new light force-carriers with spin independent couplings to the electron and neutron
- King analysis has minimal theory inputs (“data-driven background”)
- current constraints from King analysis are weak - but future measurements may improve the state-of-the-art bounds



# BACKUP SLIDES



# BE ANOMALY

